



# University of Twente



Prediction of Film Thickness  
Decay in Starved EHL Contacts  
Using a Thin Layer Flow Model.

Ir. MT van Zoelen, Dr. CH Venner, Dr. PM Lugt



University of Twente  
*The Netherlands*

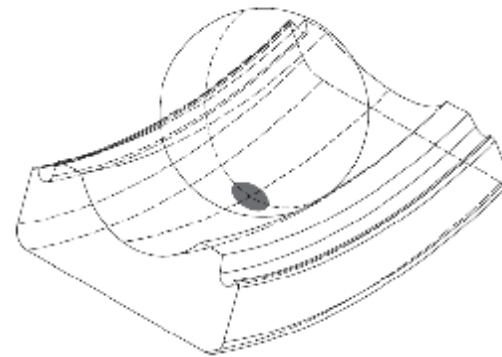
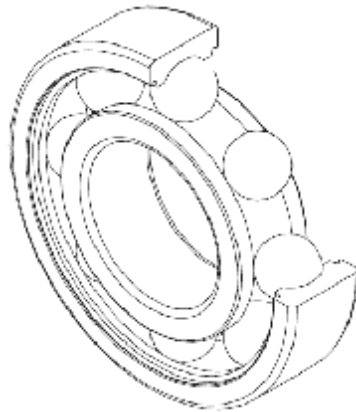
# Content

- Introduction
- Theory
- Theoretical results
- Experimental validation
- Conclusion

# Introduction

## Background:

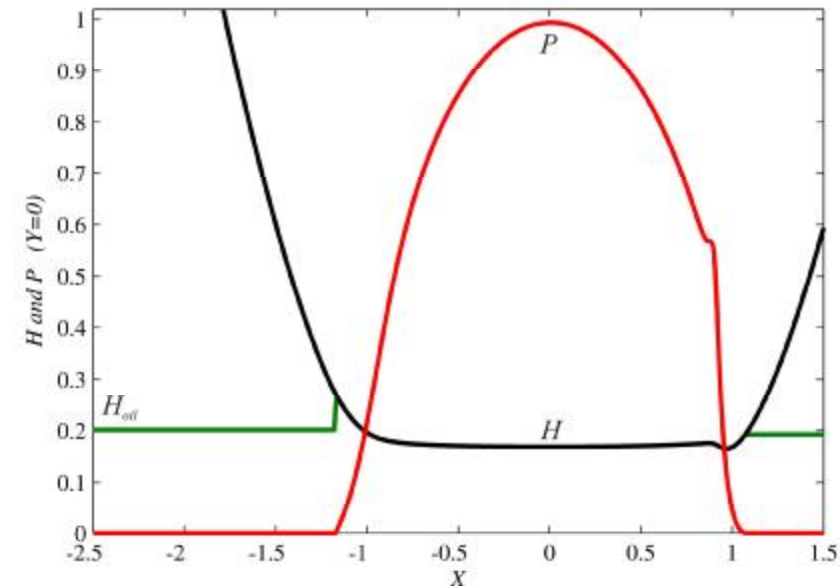
- Prediction of service life of rolling element bearings.
- Bearings which are "greased and sealed for life", the service life is determined by the *grease life*.
- *Grease life*: Maintain a sufficiently thick lubricant film.



# Introduction

## Starvation:

- Lubricant supply to the contact is small.
- Pressure build up starts at a limited distance.
- Extra parameter:  $H_{oil}$ .



## Aim of the research:

- To develop a model that predicts the change of the supply layer  $H_{oil}$ .
- Use this model to predict the long term film thickness decay.

van Zoelen, M. T.; Venner, C. H. & Lugt, P. M. "Free Surface Thin Layer Flow on Bearing Raceways," *Journal of Tribology*, ASME, **2008**, 130, 021802

# Content

- Introduction
- **Theory**
  - Layer thickness decay model
  - Increasing starvation: asymptotic regime
- Theoretical results
- Experimental validation
- Conclusion

# Theory

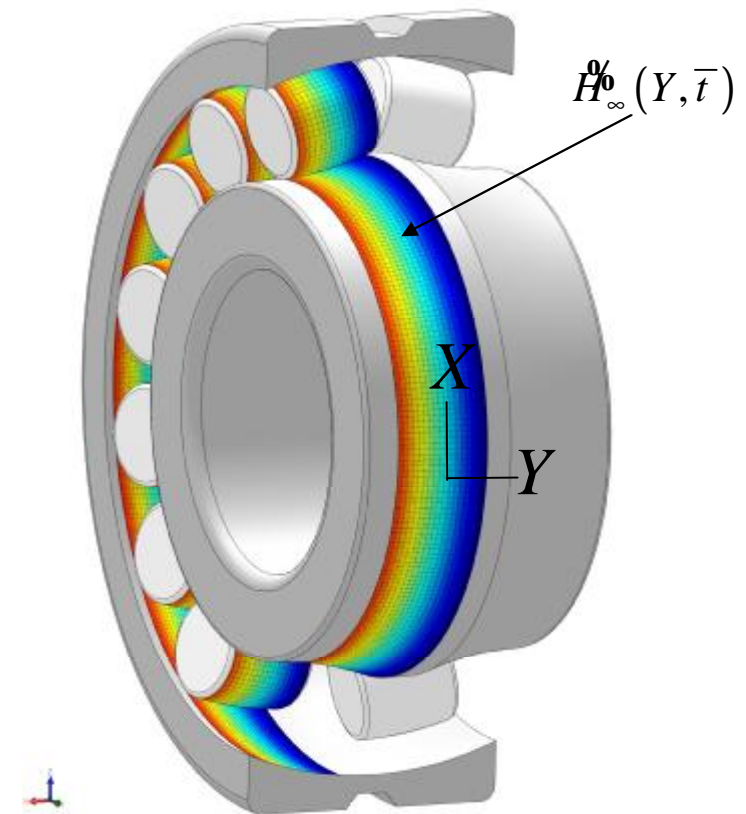
- The rolling tracks are covered by a thin layer of lubricant.
- It is assumed that the lubricant is distributed evenly along the tracks.
- The layer is forced by the pressure in the EHL contact(s).
- Considering a symmetrical distribution with respect to  $Y = 0$ .

Free surface layer thickness:

$$\tilde{H}_x(\bar{t}) = \left( 2 \int_0^{\bar{t}} \frac{\partial \hat{Q}_y}{\partial Y} d\bar{t} + \tilde{H}_{0,x}^{-2} \right)^{-1/2}$$

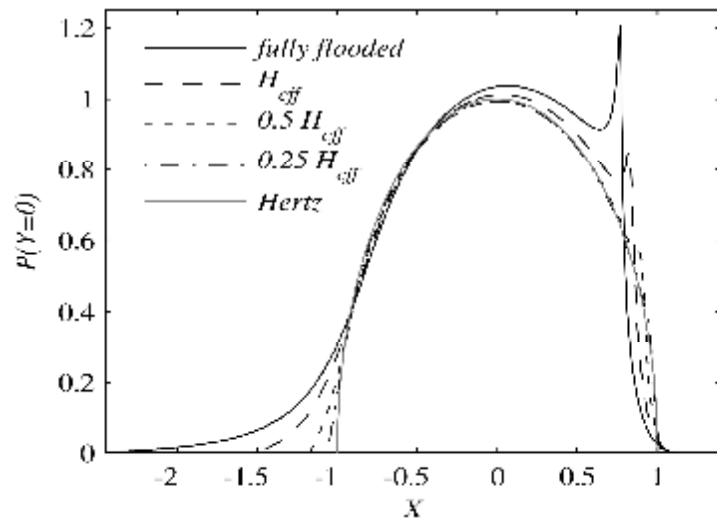
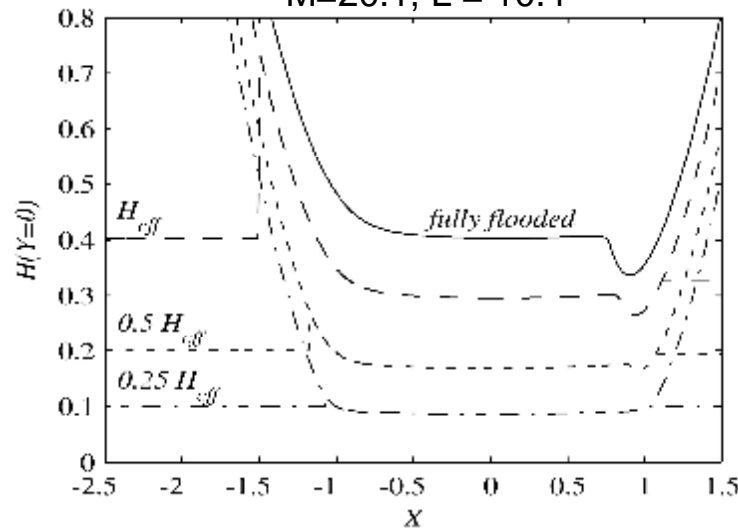
Side flow flux gradient:

$$\frac{\partial \hat{Q}_y}{\partial Y} = \frac{\partial}{\partial Y} \int_a^{\bar{a}^+} \left( -\frac{H^3}{H_{oil}^3} \frac{\bar{p}}{\bar{\eta}} \frac{\partial P}{\partial Y} \right) dX$$



# Theory

$M=20.1, L = 10.4$



With an increasing degree of starvation:

$$\left. \begin{aligned} \lim_{h_{oil} \downarrow 0} H &= \frac{H_{oil}}{\bar{\rho}} \\ \lim_{h_{oil} \downarrow 0} P &= \sqrt{1 - X^2 - Y^2} \end{aligned} \right\} \Rightarrow \lim_{h_{oil} \downarrow 0} \frac{\partial \hat{Q}_Y}{\partial Y} = C$$

$$\text{with } C = \int_{-1}^1 \left( \bar{\rho}^{-2} \eta^{-1} (1 - X^2)^{-1/2} \right) dX$$

Free surface layer thickness:

$$\tilde{H}_{\infty}(\bar{t}) = \left( 2C\bar{t} + \tilde{H}_{\infty,0}^{-2} \right)^{-1/2}$$

Central film thickness:

$$\lim_{h_{oil} \downarrow 0} H_{cs} = \frac{2\tilde{H}_x}{\bar{\rho}_c}$$

$$H_{cs}(\bar{t}) = \left( \frac{1}{2} \bar{\rho}_c^{-2} C\bar{t} + H_{cs,0}^{-2} \right)^{-1/2}$$

# Content

- Introduction
- Theory
- **Theoretical results**
  - Example: layer decay
  - Influence of physical parameters
- Experimental validation
- Conclusion



# Theoretical results

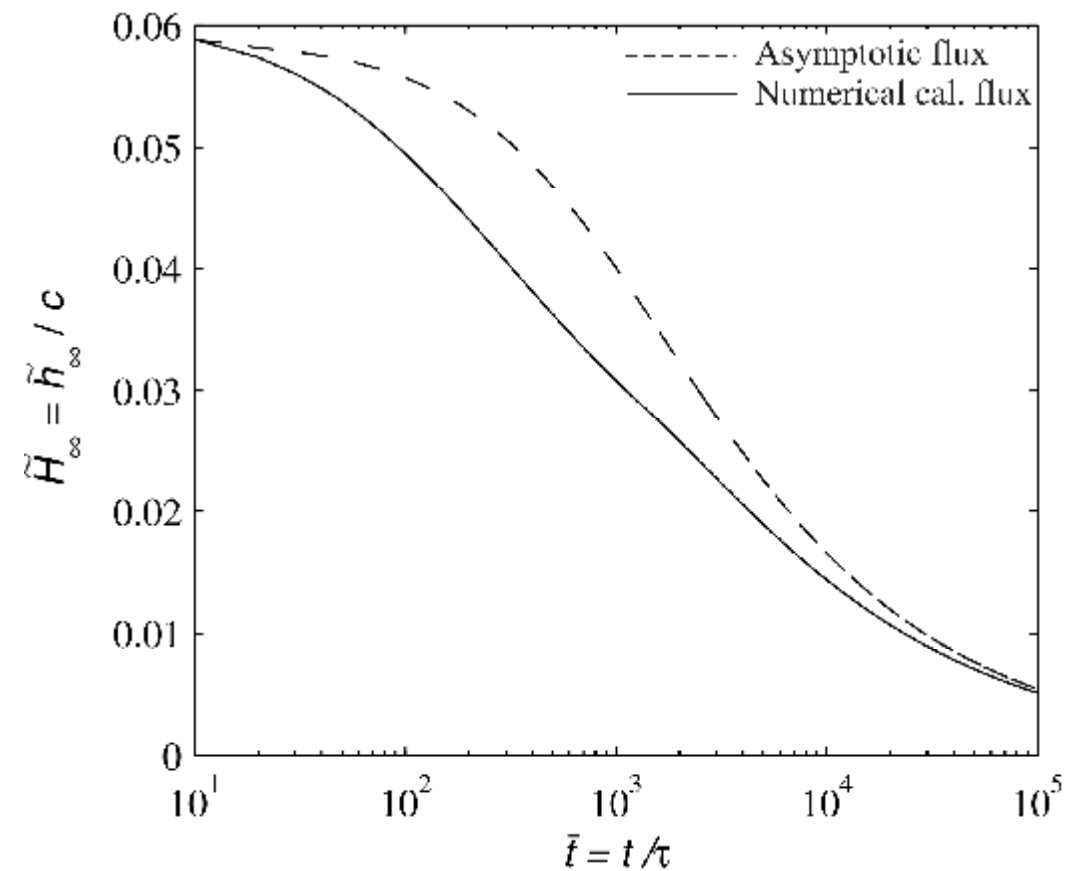
Free surface layer  
thickness:

$$\tilde{H}_{\infty}^{\circ}(\bar{t}) = \left( 2 \int_0^{\bar{t}} \frac{\partial \hat{Q}_Y}{\partial Y} d\bar{t} + \tilde{H}_{0,\infty}^{\circ 2} \right)^{-1/2}$$

Asymptotic regime:

$$\tilde{H}_{\infty}^{\circ}(\bar{t}) = \left( 2C\bar{t} + \tilde{H}_{\infty,0}^{\circ 2} \right)^{-1/2}$$

$N = 100, L = 10, R_x/R_y = 0.1$



# Theoretical results

Influence of physical parameters on the film asymptotic film decay rate.

$$h_{cs}(t) = (C_2 t + h_{cs,0}^{-2})^{-1/2} \quad C_2 = C_2(h_0, l_t, F, E', \text{geometry})$$

Velocity $u_m$	↑	Decay rate	–
Viscosity $h_0$	↑	Decay rate	↓
Total track length $l_t$	↑	Decay rate	↓
Load $F$	↑	Decay rate	↓

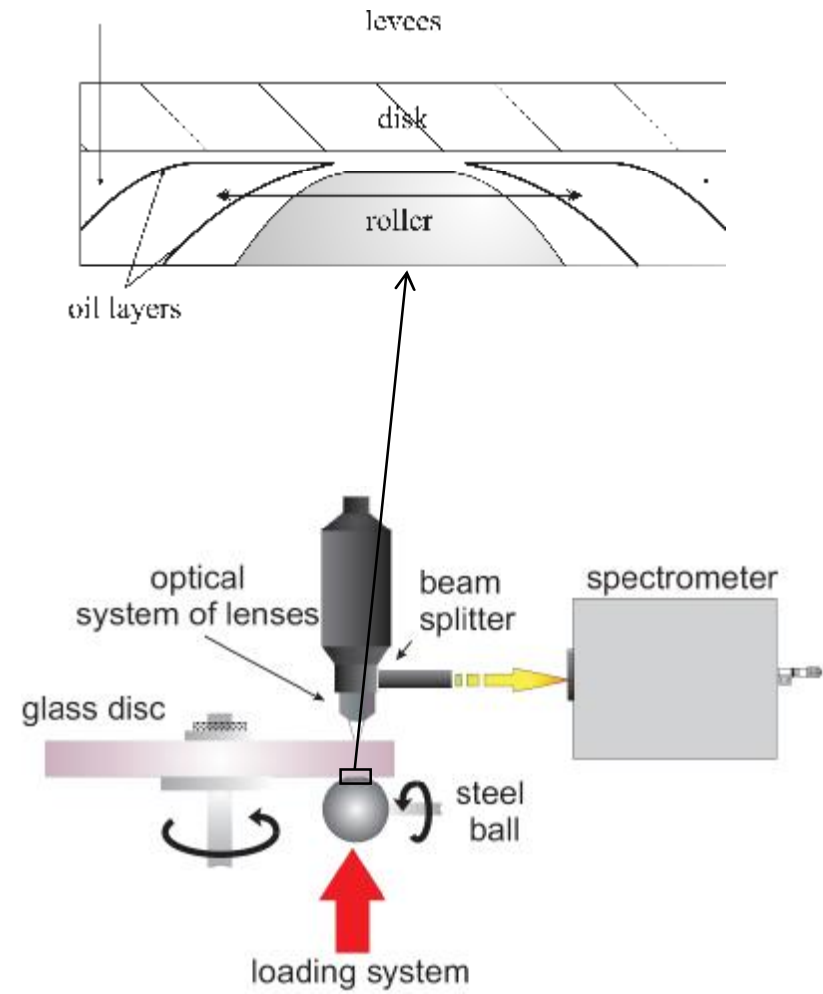
**Remarkable:** optimizing the EHL performance, i.e. maximizing the film thickness, may not mean minimizing the load!

# Content

- Introduction
- Theory
- Theoretical results
- **Experimental validation**
  - Approach
  - Results
    - Influence of speed: circular/elliptic contact
    - Influence of load
- Conclusion

# Experimental approach

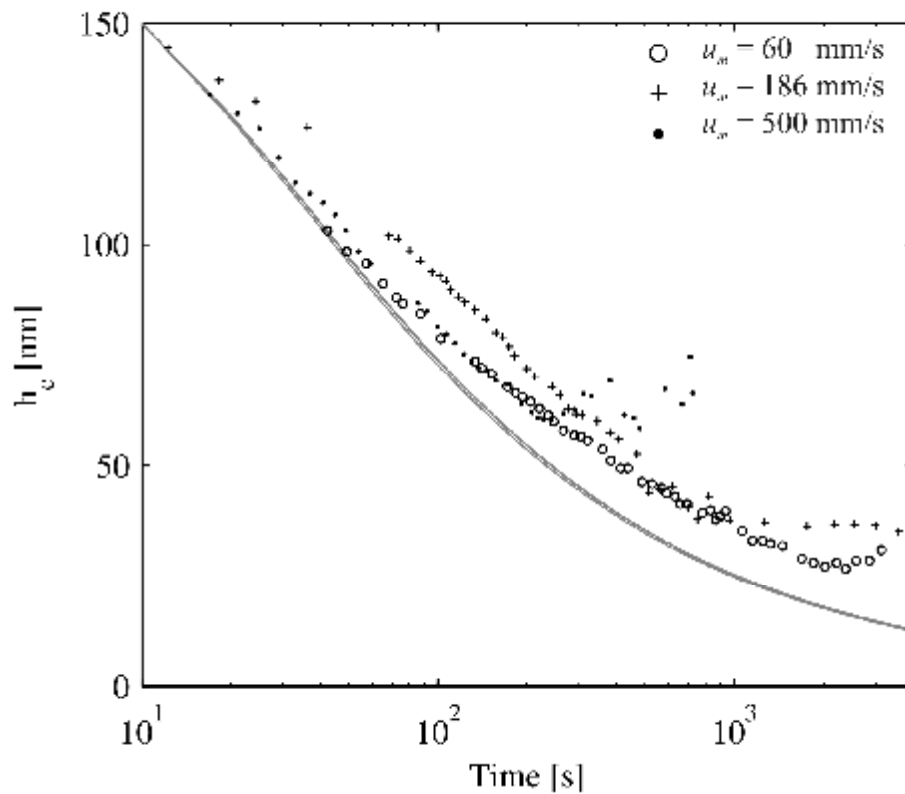
- Ball/roller loaded against a rotating glass disk.
- Film thickness is measured using optical interferometry.
- Small droplet of oil.
- After running in the side levees are pushed to the sides, reducing reflow effects.



# Experimental results

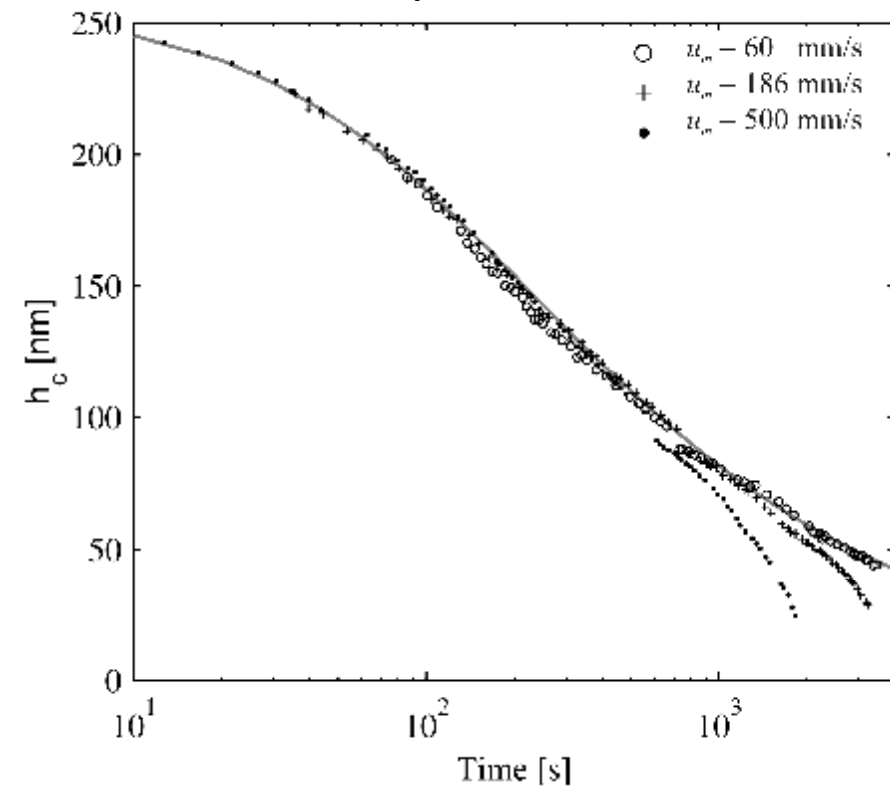
## Central film thickness - Different speeds

Circular contact



$F = 20$  N,  $p_h = 0.5$  GPa,  $\eta_0 \approx 0.8$  Pa.s

Elliptical contact

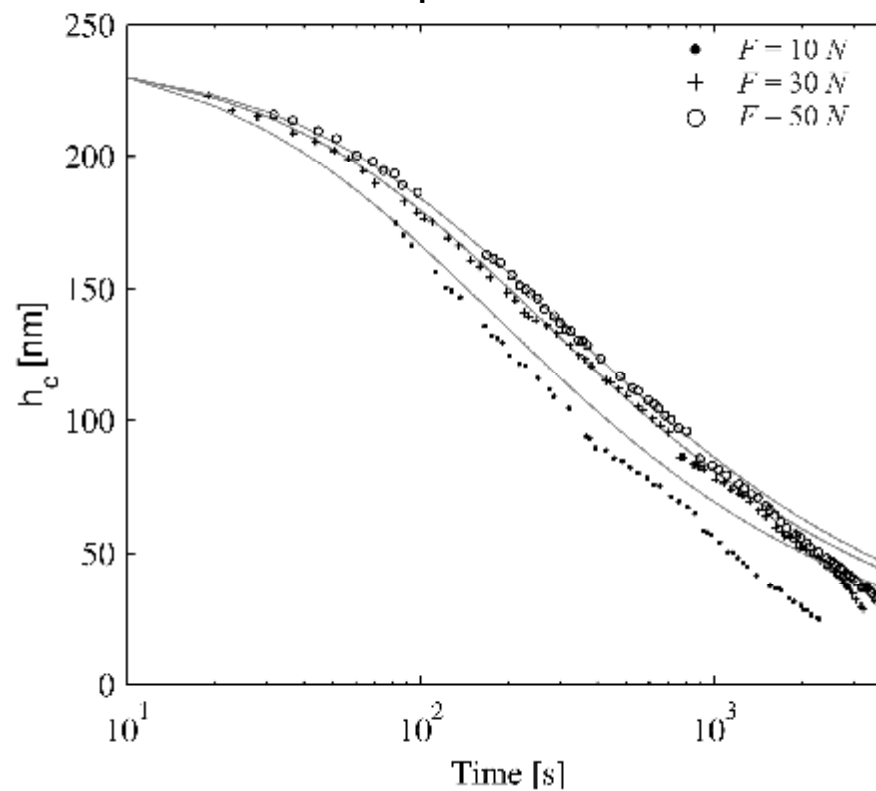


$F = 30$  N,  $p_h = 0.33$  GPa,  $\eta_0 \approx 0.85$  Pa.s

# Experimental results

Central film thickness - Different Loads

Elliptical contact



$$u_m = 186 \text{ mm/s}, \eta_0 \approx 0.8 \text{ Pa.s}$$

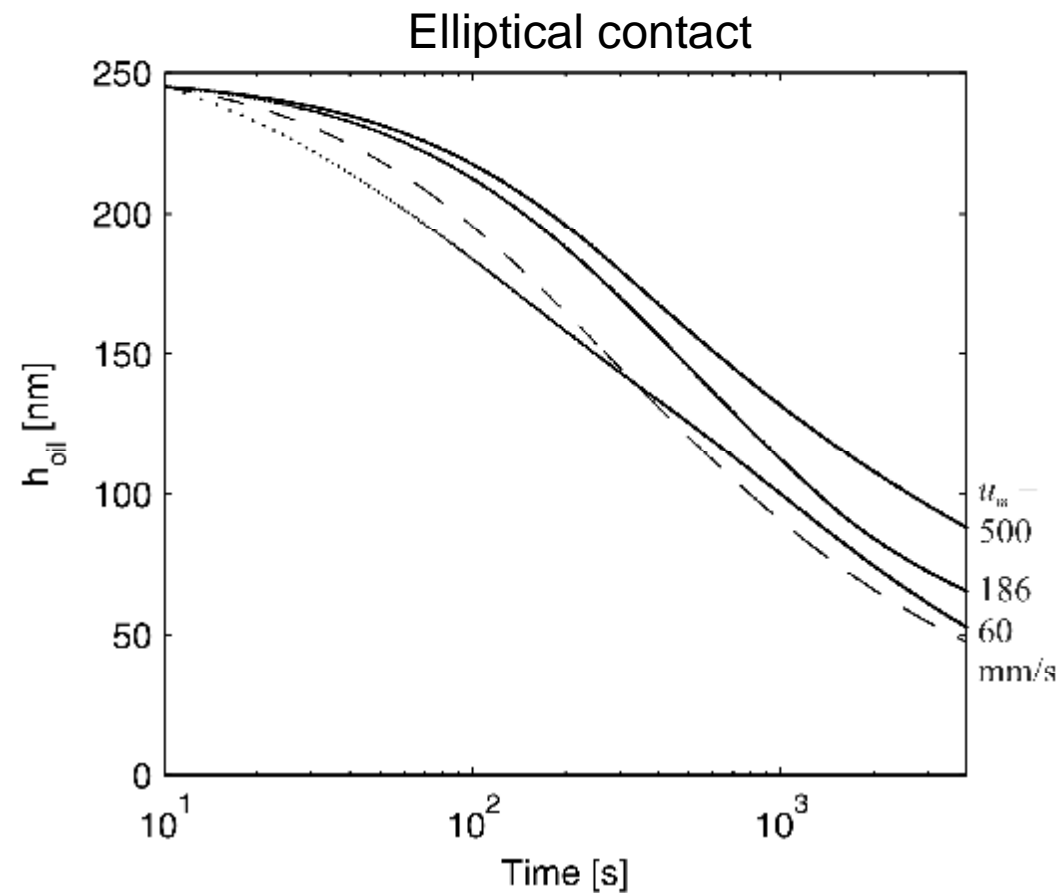
# Conclusion

- A model is developed to predict the change of the supply layer to a starved EHL contact.
- The model is used to predict the central film thickness decay for circular and elliptic contacts.
- The model was validated experimentally.
- The asymptotic decay rate is independent of the speed and higher load give lower decay rates.

# Questions??



# Layer decay model Damiens



$$F = 30 \text{ N}, p_h = 0.33 \text{ GPa}, \eta_0 \approx 0.85 \text{ Pa}\cdot\text{s}$$

$N$	$L$	$D$	$H_{eff}$	$\partial \hat{Q}_Y / \partial Y$			
				$\Pi_{oil} / \Pi_{eff}$ = 1	$\Pi_{oil} / \Pi_{eff}$ = 0.5	$\Pi_{oil} / \Pi_{eff}$ = 0.25	lim $H_{oil} \downarrow 0$
20	2.5	1	$2.31 \cdot 10^{-1}$	0.884	0.910	0.916	0.924
20	5.0	1	$3.03 \cdot 10^{-1}$	0.481	0.476	0.467	0.467
20	10	1	$4.21 \cdot 10^{-1}$	0.237	0.232	0.226	0.225
100	2.5	1	$7.11 \cdot 10^{-2}$	0.763	0.589	0.559	0.550
100	5.0	1	$9.43 \cdot 10^{-2}$	0.406	0.299	0.273	0.265
100	10	1	$1.33 \cdot 10^{-1}$	0.199	0.150	0.132	0.129
1000	2.5	1	$1.21 \cdot 10^{-2}$	0.582	0.280	0.248	0.245
1000	5.0	1	$1.64 \cdot 10^{-2}$	0.307	0.149	0.126	0.120
1000	10	1	$2.37 \cdot 10^{-2}$	0.150	0.077	0.065	0.060
100	10	0.1	$1.18 \cdot 10^{-1}$	0.747	0.226	0.201	0.167
100	10	0.01	$9.92 \cdot 10^{-2}$	1.2231	0.280	0.289	0.186